

**SUPPLEMENT TO: CERTAIN NORMAL SURFACE
 SINGULARITIES OF GENERAL TYPE, METHODS AND
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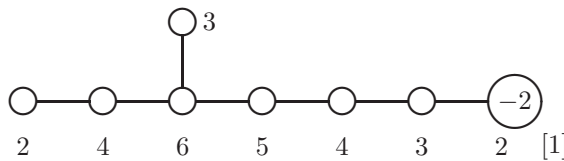
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During the proof of Lemma 2.4, (c) in [1], we overlooked one more possibility that Γ_1 is of type E_7 . So, we have to change the last line of the proof as: “When Γ_2 is of type D_l , it is not so hard to see that Γ_2 is of type D_4 (resp. D_6) and Γ_1 is of type D_6 (resp. E_7)”, and the lemma has to be replaced by

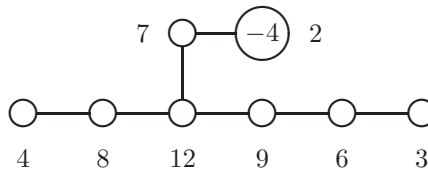
LEMMA. *For each $i = 1, 2, 3$, Γ_i is the fundamental cycle of a rational double point. If Γ_i is a minimal curve (with respect to \preceq) in $\{\Gamma_1, \Gamma_2, \Gamma_3\}$, then it is a (-2) -curve that is not a component of Δ . The possible Dynkin types (type(Γ_1), type(Γ_2), type(Γ_3)) are as follows:*

- (a) (A_1, A_1, A_1) .
- (b) (A_3, A_1, A_1) or (D_l, A_1, A_1) , $l \geq 4$.
- (c) (A_5, A_3, A_1) or (D_6, D_4, A_1) or (E_7, D_6, A_1) .

Accordingly, we need to add the following diagram to FIG. 2, (c).



Furthermore, we need to add the sentence “If Γ_1 is of type E_7 , then $\Delta - A$ is of type E_6 .” to the first line of p. 81 and the following diagram to FIG. 3, (c) in [1].



REFERENCES

- [1] K. KONNO, *Certain normal surface singularities of general type*, Special issue dedicated to Henry B. Laufer on the occasion of his 70th birthday: Part 1, *Methods and Applications of Analysis*, 24:1 (2017), pp. 71–98.

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